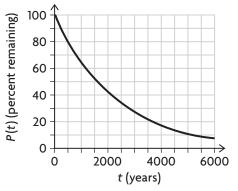
Lesson 7.7 Extra Practice

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- a) For each of the following exponential decay models, identify the initial amount, the decay rate, and the number of decay periods.
 - i) $A(n) = 32(0.65)^{13}$
 - ii) $N(n) = 100(0.5)^3$
 - **iii)** $P(n) = 5(0.91)^{24}$
 - iv) $H(n) = 10(0.8)^9$
 - **b)** Use a calculator to evaluate the equations in part (a) to three decimal places.
- 2. Recall that the model for the decay of carbon-14 is $A(n) = 100(0.5)^n$, where A(n) is the percentage of carbon-14 remaining after *n* half-life periods. The half-life of carbon-14 is 5730 years.
 - **a)** To the nearest percent, how much of the original carbon-14 is left after 9168 years?
 - **b**) Graph the function A(n).
 - c) Use the graph to estimate the age of an object with 30% of its original carbon-14.
- **3.** As light shines in a lake, its intensity decreases with the depth of the lake. This can be modelled by the equation $I(d) = 100(0.89)^d$, where I(d) is the percentage of the original intensity at a depth of d metres.
 - a) What is the decay rate of the intensity per metre?
 - **b)** To the nearest percent, what is the intensity at a depth of 15 metres?
 - c) Graph the function I(d).
 - **d**) Use the graph to estimate the depth at which the light is 50% as intense as it is at the surface.

4. Examine the graph below of the decay of a radioactive substance over time.



- a) Estimate the half-life of this element.
- **b)** Use your answer from part (a) to find a formula for P(t).
- **c)** Use the formula from part (b) to determine to the nearest percent the amount of the element left after 9000 years.
- **5.** The value of a \$21 000 car depreciates in value by 2.3% every month after it was purchased.
 - a) Write a function V(n) that tells how much the car is worth after a period of n months.
 - **b)** Evaluate *V*(12). What does this number represent?
 - c) Graph the function on a graphing calculator and use the intersect feature to determine to the nearest month the "half-life" of the car (that is, how long it takes the car to be worth half of its original value).
 - **d)** The answer from part (c) suggests that the value of the car can also be written in the form $A(n) = 21\ 000\ (0.5)^{\frac{\pi}{H}}$, where *H* is the half-life from part (c). Use a graphing calculator to verify that A(n) is equivalent to the formula you found for V(n) in part (a).