

1. Determine the maximum or minimum value of each quadratic function.
 - a) $f(x) = x^2 - 6x + 2$
 - b) $f(x) = 2(x - 4)(x + 6)$
2. Graph each function.
 - a) $f(x) = -3(x - 2)^2 + 5$
 - b) $f(x) = 2(x + 4)(x - 6)$
 - i) For each function, state the vertex, the equation of the axis of symmetry, and the domain and range.
 - ii) Express each function in standard form.
3. The sum of two numbers is 16. What is the largest possible product between these numbers?
4. Graph $f(x) = -\sqrt{x + 3}$ and determine
 - a) the domain and range of $f(x)$.
 - b) the equation of f^{-1}
5.
 - a) Determine the equation of the inverse of the quadratic function $f(x) = x^2 - 4x + 3$.
 - b) State the domain and range of $f(x)$ and its inverse.
 - c) Sketch the graphs of $f(x)$ and its inverse.
6. The revenue for a business is modelled by the function $R(x) = -2.8(x - 10)^2 + 15$, where x is the number of items sold, in thousands, and $R(x)$ is the revenue in thousands of dollars.
 - a) Express the number sold in terms of the revenue.
 - b) Almost all linear functions have an inverse that is a function, but quadratic functions do not. Explain why.
7. The profit function for a business is given by the equation $P(x) = -4x^2 + 16x - 7$, where x is the number of items sold, in thousands, and $P(x)$ is dollars in thousands. Calculate the maximum profit and how many items must be sold to achieve it.
8. The cost per hour of running an assembly line in a manufacturing plant is a function of the number of items produced per hour. The cost function is $C(x) = 0.3x^2 - 1.2x + 2$, where $C(x)$ is the cost per hour in thousands of dollars, and x is the number of items produced per hour, in thousands. Determine the most economical production level.