Before we begin, are there any questions from last day's work?

 $2 \text{ (we'll do)} \quad 2 \text{ (already done)} \quad 3 \text{ (we'll do)} \quad 3 \text{ (already done)} \quad 4 \text{ (we'll do)} \quad 4 \text{ (already done)}$ 

## Today's Learning Goal(s):

By the end of the class, I will be able to:

a) rearrange a formula for a specified variable.

## 3.7.1 Connecting Formulae

Date: Oct. 19, 2018

Ex. 1 The formula  $d = v_0 t + \frac{1}{2}at^2$  relates the distance, d, travelled by an object to its initial velocity,  $v_0$ , acceleration, a, and the elapsed time, t.

Determine the acceleration of a dragster that travels 500 m from rest in 15 s, by first isolating a, and then by first substituting known values. Compare and evaluate the two methods.

## Solutions

Method 1: Isolatea first.

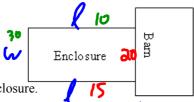
 $d = v_0 t + \frac{1}{2}at^2$  $d = v_0 t + \frac{1}{2}at^2$ d = 500 m, t = 15 s,  $v_0 = 0 m/s$  $d - v_0 t = \frac{1}{2} a t^2$  $500 = (0)(15) + \frac{1}{2}a(15)^2$  $2(d-v_0t)=at^2$  $500 = \frac{1}{2}a(225) \longrightarrow 2(500) = 2250$  $\frac{2(d-v_0t)}{a^2} = a$  $500 = 112.5 \ a$ (DUV = 225 a  $\therefore a = \frac{2(d - v_0 t)}{a^2}$ <del>295</del> <del>295</del>  $\frac{500}{112.5} = a$ d = 500 m, t = 15 s,  $v_0 = 0 m/s$  $a = 4.44 \ m/s^2$  $a = \frac{2((500) - (0)(15))}{(15)^2}$ 3.7.2 1-14, 1-18  $=\frac{1000}{225}$ 3.7.3 2c,d,f, 3a,b,c  $\doteq 4.44 \ m/s^2$ (Continue to work ahead on Review 3.9.1)

Method 2: Substitute first.

Return

2. A farmer needs to enclose a rectangular area using 50 m of fencing. One of the sides of the enclosure is against the barn.

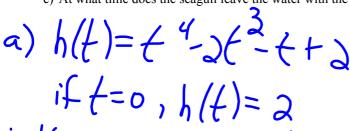
If the area of the enclosure is 300m<sup>2</sup>, determine the dimensions of the enclosure.



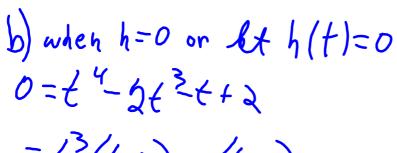
W=50-2l if l=10m 300= lu Mon w= 50-2(10) 300=8(50-20) = 30 m300 = 50l-202 if l= 15 m 2/2-50/+300=0 thm w=50-2(15)  $2(l^2-25(+150)=0$ 2(2-10)(2-15)=0 :l=10 or l=15

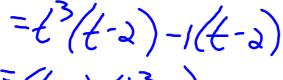
the dimensions of the enclosure are 10 m by 30 m, OR 15 m by 20 m.

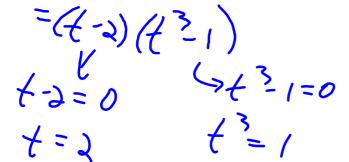
- 3. The function,  $h = t^4 2t^3 t + 2$ , models the path of a seagull trying to catch fish, where h represents the seagull's height above the water in metres and t represents the time in seconds.
  - a) At what height is the seagull when it first sees the fish?
  - b) When does the seagull hit the water?
  - c) At what time does the seagull leave the water with the fish in its beak?



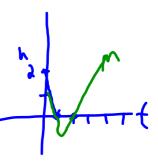
. He sea gull is a mapove the water.

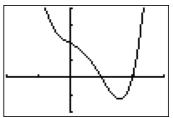


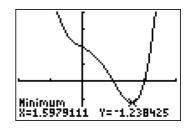










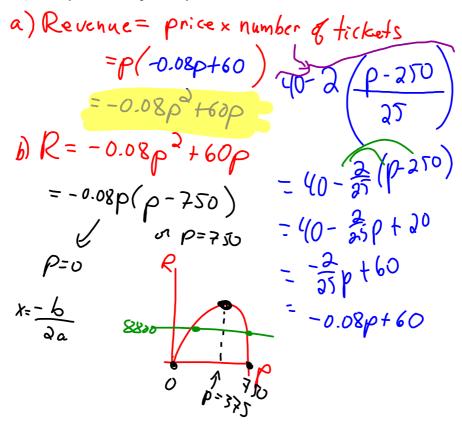


Return

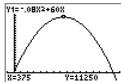
ithe seagulf hits the water at 15d. (and tenes the water at 25ec.)

Return

- 4. Melissa is running a ski trip during the exam break.
  - The bus holds 40 students and if she charges \$250 per student the bus will be filled. For every \$25 increase in the price she charges students, two fewer students will go on the trip.
  - a) Write an equation to model the Melissa's revenue.
  - b) Determine the maximum revenue.
  - c) How many students need to go on the trip for Melissa to earn \$8800?



the max. revenue would occur when ticket price is set at \$375 (the max. revenue would be \$11250, from 30 tickets being sold. 11250÷375=30)



C) 
$$8800 = -0.08p^{2} + 60p$$
  
 $0.08(p-550)(p-200) = 0$   
 $0.08(p^{2}-60p+8800 = 0$   
 $0.08(p-550)(p-200) = 0$ 

to earn a revenue of \$8800, ticket price must be set at \$550  $\,$ 

(resulting in only 16 tickets being sold 8800÷550=16)

or the ticket price must be set at \$200 (resulting in 44 tickets needing to be sold [What is the problem with this idea?]

8800÷200=44)

Y2=8800 X=550 Y=8800

Melissa is best off setting the price at \$375