Today's Learning Goal(s):

By the end of the class, I will be able to:

a) Use different factoring strategies to solve quadratic equations

MCF 3MI

3.4 Solving Quadratic Equations by Factoring

Date: 1/21.20/19

Solving quadratic equations by graphing can be time-consuming and is often inaccurate. However, solving by factoring is more accurate and usually quicker.

You get to apply the factoring skills you've been practising: common factoring, trinomial factoring (various methods), difference of squares, etc.

*Make sure the quadratic equation is in STANDARD FORM!



Concept: If an equation is in the form: $A \times B = 0$, then A=0 or B=0 (or both). Factoring allows us to get equations into "product" (A x B) form.

Ex.1: Solve by factoring.

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a)
$$x^2 + 2x - 15 = 0$$

$$x^2 - 3x + 5x - 15 = 0$$

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$$x = 0$$

d)
$$4x^{2} = 9$$

$$4x^{2} - 9 = 0$$

$$(2x+3)(2x-3) = 0$$

$$2x+3 = 0$$

$$2x = 3$$

$$2x = 3$$

$$2 = 3$$

$$2 = 3$$

$$2 = 3$$

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Ex.2: Solve by factoring. Verify your solutions.

$$x(3x-4) = -2(7x-4)$$

$$3x^{2} - 4x = -14x + 8$$

$$3x^{2} - 4x + 14x - 8 = 0$$

$$3x^{2} + 10x - 8 = 0$$

$$3x - 2x + 12x - 8 = 0$$

$$x(3x-2) + 4(3x-2) = 0$$

$$(3x-3)(x+4) = 0$$

$$(3x-3)(x+$$

Ex. 3 (p.163 #12)

A helicopter drops an aid package.

The height of the package above the ground at any time is modelled by the function,

$$h(t) = -5t^2 - 30t + 675$$

where h(t) is the height in metres and t is the time in seconds. How long will it take the package to hit the ground?

The package hits the ground when its
height above the ground is zero

i. Let h(t) = 0

$$0 = -5t^{2} - 30t + 675$$

$$= -5(t^{2} + 6t - 135)$$

$$= -5(t - 9)(t + 15)$$

$$= -5(t - 9)(t + 15)$$
inadmissible
itime \geq 0.

i. I will take 9 seconds
for the package to hit the ground.

Today's Homework: pp. 161-163 #1cd, 2, 3ac, 4def, 5f, 6de, 9, 11, 13