Are there any Homework Questions you would like to see on the board?

pp. 373-375 #(4-6)def, 7b, 8cd, 11, 12cd, 13def **AND** Work Ahead on the Chapter 6 Review (See Unit Outline)

Today's Learning Goal(s):

By the end of the class, I will be:

a) ready for the unit summative on sinusoidal functions.

Review Ideas

Periodic Behaviour vs. Sinusoidal Behaviour

The Sine function: $f(x) = a \sin(x - c) + d$

c --- horizontal translation (left or right)

d --- vertical translation (up or down)

Ex:
$$f(x) = -6\sin(x + 150^\circ) - 7$$

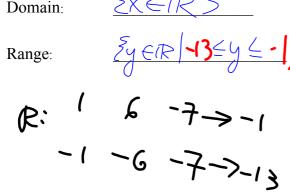
Equation of the axis: y = -7

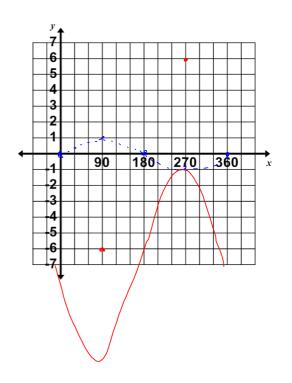
Amplitude:

Period:

Domain:

Range:





MCF 3MI

$$f(x) = a \sin(x - c) + d$$

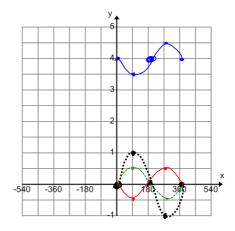
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The following questions are taken from p. 379 of the textbook.

- 9. The function $f(x) = \sin(x)$ undergoes a reflection in the x-axis, a vertical compression by a factor of 0.5, and a vertical translation of 4 units.
- a) What is the equation of the resulting function?

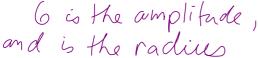
$$f(x) = -0.5\sin(x) + 4$$

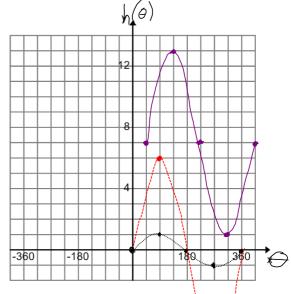
b) Sketch the resulting function on the graph provided



- 12. The height of a Ferris wheel is modeled by the function, $h(\theta) = 6\sin(\theta 45^\circ) + 7$, where $h(\theta)$ is in metres and θ is the number of degrees the wheel has rotated from the boarding position of the rider.
- a) Sketch the graph of this function.
- b) What is the range of the function?

c) What is the amplitude of the function, and what does it represent in this situation?





d) When the rider has rotated 400° (from the boarding position) how high above the ground is the rider?

$$h(400) = 6 \sin(400^{\circ} - 45^{\circ}) + 7$$

= 6 \sin(355^{\circ}) + 7
= 6.47 m

Today's Homework:

p. 379 # 6 – 8, 10ace, 11ace, 12

(Note: for 11c, the sketch is incorrect in the text solution)